$$K_{CM_i} = \left(1 + \beta \cdot \frac{N}{N-2}\right) \cdot \frac{DF_i}{DF_{CM}} \cdot K^*_{CM}$$

$$K^*_{CM} = \begin{cases} c_2 \cdot \mu \cdot \left(K_{CCP} - DF^{'}\right) + c_2 \cdot DF^{'}_{CM} & if \quad DF^{'} < K_{CCP} \quad (i) \\ c_2 \cdot \left(K_{CCP} - DF_{CCP}\right) + c_1 \cdot \left(DF'' - K_{CCP}\right) & if \quad DF_{CCP} < K_{CCP} \leq DF^{'} \quad (ii) \\ c_1 \cdot DF^{'}_{CM} & if \quad K_{CCP} \leq DF_{CCP} \quad (iii) \end{cases}$$

Where

(A) $$\beta = \frac{A_{Net,1} + A_{Net,2}}{\sum_i A_{Net,i}}$$