

$$(1) S[Y] = \left\{ \begin{array}{l} Y \\ K_{IRB} + K[Y] - K[K_{IRB}] + \frac{d \cdot K_{IRB}}{20} \left(1 - e^{-\frac{20 \cdot (K_{IRB} - Y)}{K_{IRB}}} \right) \end{array} \right\} \text{ when } Y \leq K_{IRB} \text{ when } Y > K_{IRB}$$

$$(2) K[Y] = (1-h) \cdot [(1-\beta[Y; a, b]) \cdot Y + \beta[Y; a+1, b] \cdot c]$$

$$(3) h = \left(1 - \frac{K_{IRB}}{EWALGD} \right)^N$$

$$(4) a = g \cdot c$$

$$(5) b = g \cdot (1 - c)$$

$$(6) c = \frac{K_{IRB}}{1 - h}$$

$$(7) g = \frac{(1 - c) \cdot c}{f} - 1$$

$$(8) f = \frac{v + K_{IRB}^2}{1 - h} - c^2 + \frac{(1 - K_{IRB}) \cdot K_{IRB} - v}{(1 - h) \cdot 1000}$$

$$(9) v = K_{IRB} \cdot \frac{(EWALGD - K_{IRB}) + .25 \cdot (1 - EWALGD)}{N}$$

$$(10) d = 1 - (1 - h) \cdot (1 - \beta[K_{IRB}; a, b]).$$

(11) In these expressions, $\beta [Y; a, b]$ refers to the cumulative beta distribution with

parameters a and b evaluated at Y. In the case where N = 1 and EWALGD = 100 percent, S[Y]

in formula (1) must be calculated with K[Y] set equal to the product of K_{IRB} and Y, and d set

equal to $1 - K_{IRB}$.