

(vi) Determine the lowest and highest engine speeds corresponding to the value

calculated in paragraph (a)(1)(v) of this section, using linear interpolation as appropriate.

Calculate f_{ntest} as the average of these two speed values.

(viii) The following example illustrates a calculation of f_{ntest} :

$$(f_{n1} = 2360, P_1 = 223.1, f_{nnorm1} = 1.002, P_{norm1} = 0.967)$$

$$(f_{n2} = 2364, P_2 = 227.7, f_{nnorm2} = 1.004, P_{norm2} = 0.986)$$

$$(f_{n3} = 2369, P_3 = 230.0, f_{nnorm3} = 1.006, P_{norm3} = 0.994)$$

$$(f_{n4} = 2374, P_4 = 220.8, f_{nnorm4} = 1.008, P_{norm4} = 0.951)$$

$$f_{ntest} = \frac{\left(\left(2360 + (2364 - 2360) \cdot \frac{0.98 \cdot 230.0 - 223.1}{227.7 - 223.1} \right) + \left(2369 + (2374 - 2369) \cdot \frac{0.98 \cdot 230.0 - 230.0}{220.8 - 230.0} \right) \right)}{2}$$
$$= \frac{2363 + 2371}{2} = 2367 \text{ r/min}$$

$$\text{Sum of squares} = (1.002^2 + 0.967^2) = 1.94$$

$$\text{Sum of squares} = (1.004^2 + 0.986^2) = 1.98$$

$$\text{Sum of squares} = (1.006^2 + 0.994^2) = 2.00$$

$$\text{Sum of squares} = (1.008^2 + 0.951^2) = 1.92$$

$$f_{npmax} = \frac{\left(\left(2360 + (2364 - 2360) \cdot \frac{0.98 \cdot 2.0 - 1.94}{1.98 - 1.94} \right) + \left(2369 + (2374 - 2369) \cdot \frac{0.98 \cdot 2.0 - 2.0}{1.92 - 2.0} \right) \right)}{2}$$
$$= \frac{2363 + 2371}{2} = 2367 \text{ r/min}$$